# Incredible Chairs 3

This problem is really simple: Just change the type of decision variables in the model of the Incredible Chairs assignment.

## Problem

• Maximize the profit by optimizing the chair production plan.

### Sets

This problem has not sets.

#### Parameters

In this problem the data is typed directly into the constraints. This is changed in Incredible Chairs 2.

#### **Decision variables**

- Integer amount of A chairs produced each month  $m: x_A \in Z^+$ .
- Integer amount of B chairs stored each month  $m: x_B \in Z^+$ .

#### $\mathbf{Model}$

Objective:

• Total storage costs to be minimized:

 $4 \cdot x_A + 6 \cdot x_B$ 

#### **Constraints:**

• Production line 1:

• Production line 2:	$2 \cdot x_A \le 14$
	$3 \cdot x_B < 15$
• Production line 3:	5 -

```
4 \cdot x_A + 3 \cdot x_B \le 35
```

This is a very simple change, but the underlying solution method is very different.

The full model in Julia/JuMP, available with the name

IncredibleChairs3\_compact.jl

from the book web-site, is given below:

```
using JuMP
using HiGHS
IC = Model(HiGHS.Optimizer)
@variable(IC,xA>=0,Int)
@variable(IC,xB>=0,Int)
@objective(IC, Max, 4*xA+6*xB)
@constraint(IC, 2*xA <= 14)</pre>
@constraint(IC,3*xB <= 15)</pre>
@constraint(IC,4*xA+3*xB <= 36)</pre>
print(IC)
optimize!(IC)
println("Termination status: $(termination_status(IC))")
if termination_status(IC) == MOI.OPTIMAL
    println("Optimal objective value: $(objective_value(IC))")
    println("xA: ",value(xA))
    println("xB: ",value(xB))
else
    println("No optimal solution available")
end
```